Kaldor model is illustrated by following system of equations:

$$Y = W + P$$
; $I = S$; $S = S_w + S_p$,

where Y is the national income; W—the income of labour (wages); P—the income of entrepreneurs (profit); I—investment; S—saving; S_w —saving from wages; S_p —saving from profits.

But
$$S_w = S_w W$$
 and $S_p = S_p P$

where S_w is the share of saving from wages; and S_p is the share of savings from profit, substituting for S, we get:

$$I = s_p P + s_w W \qquad (\because I = S)$$

$$= s_p P + s_w (Y - P) \qquad (\because W = Y - P)$$

$$= s_p P + s_w Y - s_w P$$

$$= (s_p - s_w) P + s_w Y$$

Dividing by Y both sides, we get:

$$\frac{I}{Y} = (s_p - s_w) \frac{P}{Y} + s_w$$

Dividing again both sides by $(s_p - s_w)$, we get :

$$\frac{l}{Y} \times \frac{l}{(s_p - s_w)} = \frac{P}{Y} + \frac{s_w}{(s_p - s_w)}$$

$$\frac{P}{Y} = \frac{l}{s_p - s_w} \cdot \frac{l}{Y} - \frac{s_w}{s_p - s_w}$$

or

where P/Y is the share of profit in the total income and I/Y is the investment income ratio, Now, we can easily see and appreciate Kaldor's thesis. His thesis is that the share of profit in the total income is a function of the ratio of investment to income (I/Y).

In the above equation, it can easily be seen that an increase in the income-investment ratio (I/Y) will result in

an increase in the share of profits out of total income (P/Y), as long as it is assumed that both s_w and s_p are constant and further that s_p is greater than $(s_p > s_w)$. Thus, given the mps, of wages earners (s_w) and the mps of entrepreneurs $(s_p)_{\dagger}$ the share the profits (P) in the national income (Y), that is P/Y depends on the ratio of investment (I) to total income or output (Y), that is I/Y. In other words, P/Y is a function of

$$\frac{I}{Y}$$
, i.e., $\left[\frac{P}{Y} - f\left(\frac{I}{Y}\right)\right]^{1}$.

Of greater importance to us is the underlying economic rationale for Kaldor's theorem that the share of profit in the total income (P/Y) is a function of the investment-income ratio (I/Y). Under full employment conditions an increase in investment must in real terms, bring about an increase in both the ratio of investment to income (I/Y) and also an increase in the savings income ratio (S/K). This is necessary if equilibrium at a higher level of real investment is to be obtained.